

Mechanical and Aerospace Engineering



# Optimizing edge confinement and stability via adaptive ELM control using RMPs

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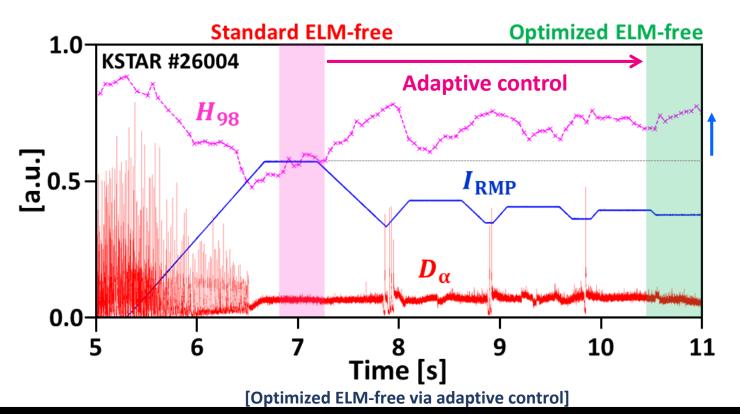






### RMPs are promising method to stabilize the ELM crash, however there is remaining challenges for its application on ITER or future devices

- Challenges in ELM control via RMP
  - ✓ Less sustainability by small window.
  - ✓ Loss of plasma confinement.
- Real-time pedestal optimization with ELM control



- ✓ RT adaptive ELM control.
  - Keep ELM-free.
  - Recovers confinement (>60%).

**Optimized ELM-free state** 

One of solutions for existing challenges.

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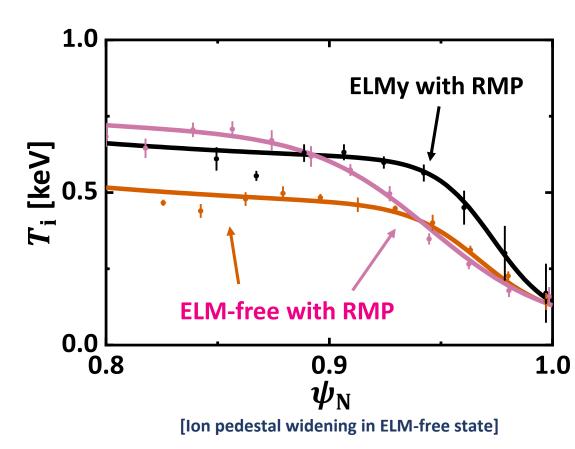
## Ion pedestal widening is key of effective pedestal optimization using adaptive ELM control

- Key of successful pedestal optimization
  - ✓ Ion pedestal widening
    - In ELM-suppressed state.
  - ✓ Contribution to adaptive control
    - Stronger confinement recovery (>50%)
    - Faster control convergence.



#### This talk introduces...

- Principle of adaptive control.
- Role of widened ion-pedestal.
- Origin of pedestal widening.



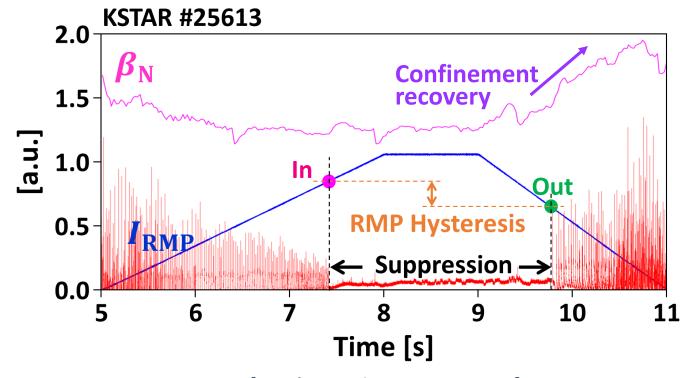
#### **Contents**

- Adaptive ELM control using RMPs
- Widened ion pedestal and increased pedestal response
- Enhanced pedestal recovery and field amplification
- Origin of widened ion pedestal
- Conclusion



### Adaptive ELM control is effective approach to achieve and sustain steady-state ELM-free high confinement plasma

- RMP-hysteresis on confinement recovery
  - ✓ Hysteresis in RMP-ELM suppression
    - $I_{\text{RMP,IN}} \geq I_{\text{RMP,OUT}}$ .
    - Enables confinement recovery.
      - $\rightarrow$  By lowering  $I_{\rm RMP}$  upto  $I_{\rm RMP,OUT}$ .
- Real-time (RT) RMP control
  - ✓  $I_{\rm RMP}$  for edge optimization
    - Sufficient to <u>sustain</u> suppression.
    - Minimal to maximize confinement.
      - → By real-time adaptive control.

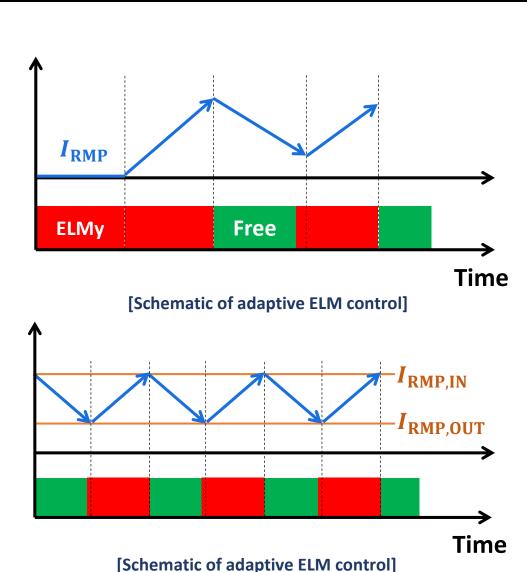


[RMP hysteresis at KSTAR, #25613]

### Adaptive ELM control relies on simple concept, but its successful utilization is not trivial because of system discontinuity ( $I_{\rm RMP,IN} \neq I_{\rm RMP,OUT}$ )

- Adaptive ELM control using RMPs
  - ✓  $I_{\rm RMP}$  control with ELM detection [R. Shousha, APS-DPP 21]
    - ELMy  $\rightarrow I_{RMP} \uparrow$ .
    - ELM-free  $\rightarrow I_{\rm RMP} \downarrow$ .
- Convergence problem with bifurcation
  - ✓ Discontinuous transition of system.
    - $I_{\text{RMP,IN}} \neq I_{\text{RMP,OUT}}$ .
    - Oscillatory behavior in control.
    - Poor convergence.
      - → Obstacles for fast convergence.

However, adaptive control is successful by resolving this issue

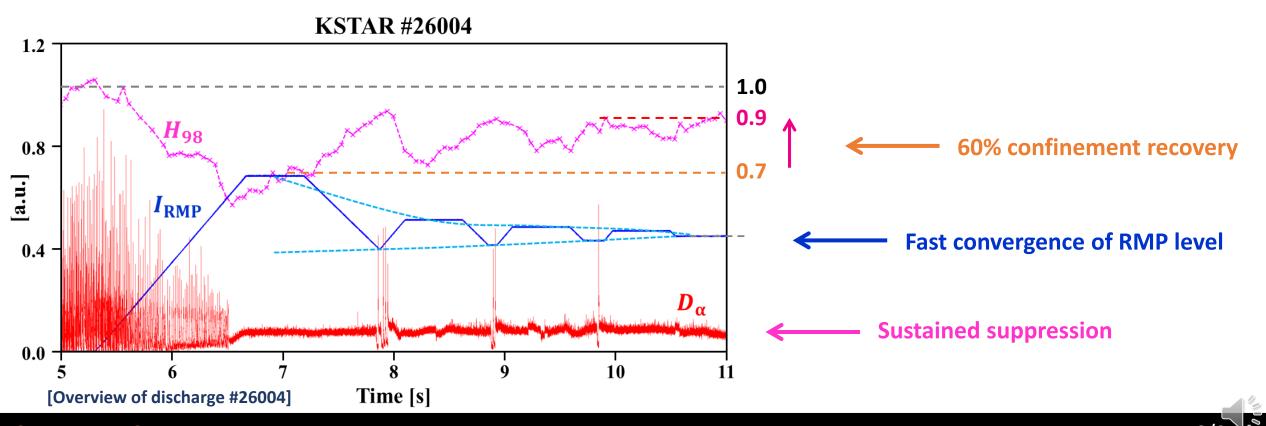


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### Adaptive ELM control successfully optimizes the RMP level, maximizing the confinement recovery while maintaining ELM suppression

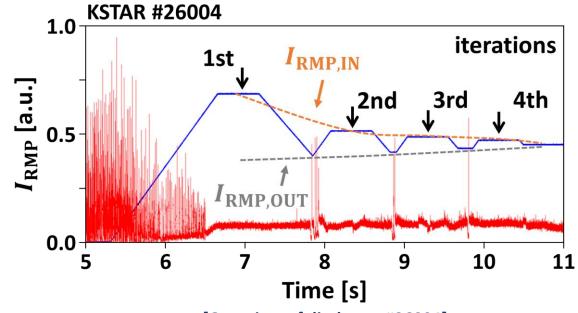
#### ELM suppression in KSTAR with adaptive ELM control

- ✓ Recovered initial  $H_{98}$  loss up to 60% ( $G = H_{98}\beta_N/q_{95}^2$ , 45%).
- **✓** Fast convergence within 4 iterations (~5 s).
- ✓ Well <u>sustained</u> ELM suppression.

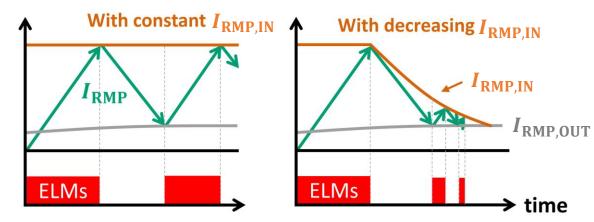


### Successful control convergence is due to weakened discontinuity of RMP-hysteresis: Easier re-access to the ELM suppression

- Changes in  $I_{\text{RMP,IN/OUT}}$  during control
  - ✓  $I_{\text{RMP,IN}}$ : 4. 6  $\rightarrow$  3. 5 kA (dominant).
  - ✓  $I_{\text{RMP.OUT}}$ : 3.3  $\rightarrow$  3.5 kA.
  - ✓ Discontinuity  $|I_{RMP,IN} I_{RMP,OUT}| \downarrow$ .
- Effect of decreasing  $I_{\rm RMP,IN}$ 
  - **✓** Easier re-suppression.
  - ✓ Fast convergence and short ELMy period.
  - Focusing on profile dynamics in 1<sup>st</sup> iteration.



[Overview of discharge #26004]



[Effect of decreasing  $I_{\rm RMP,IN}$  on control convergence]

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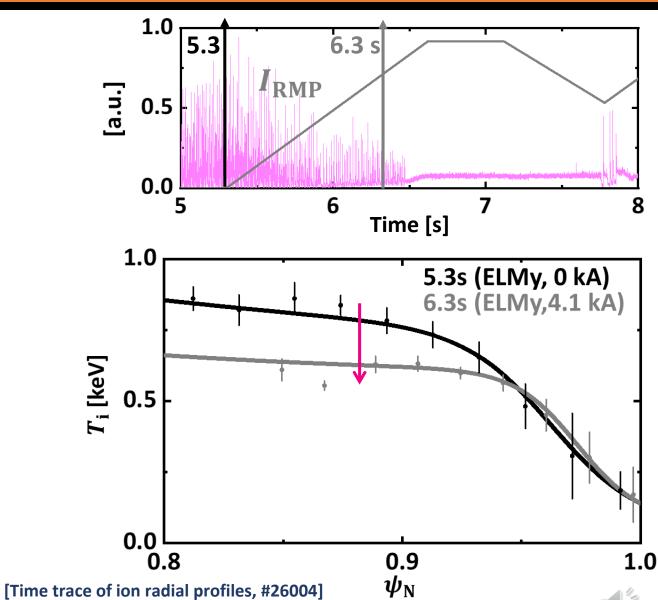
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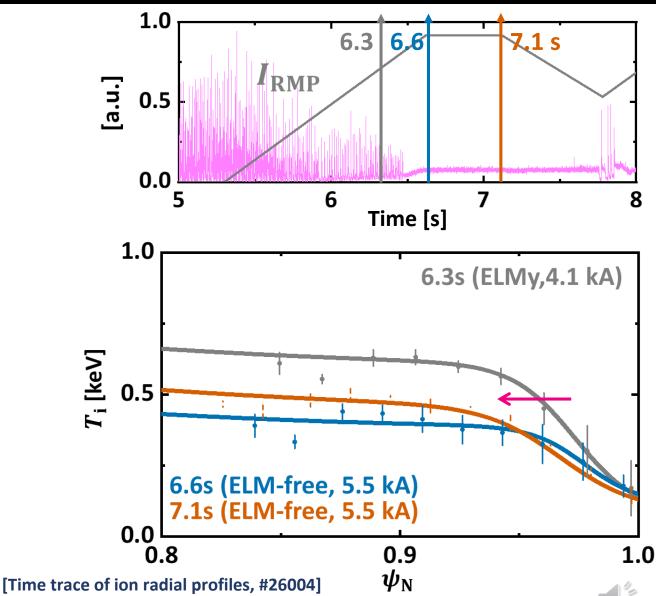
### During ELM suppression periods, ion pedestal shows wider structure than ELMy phase.

- Widening of ion pedestal
  - ✓ <u>lon pedestal</u> trace.
    - 5.3  $\rightarrow$  6.3  $\rightarrow$  : ELMy,  $I_{\rm RMP}$   $\uparrow$ .
      - Entering ELM-free with decreasing height.



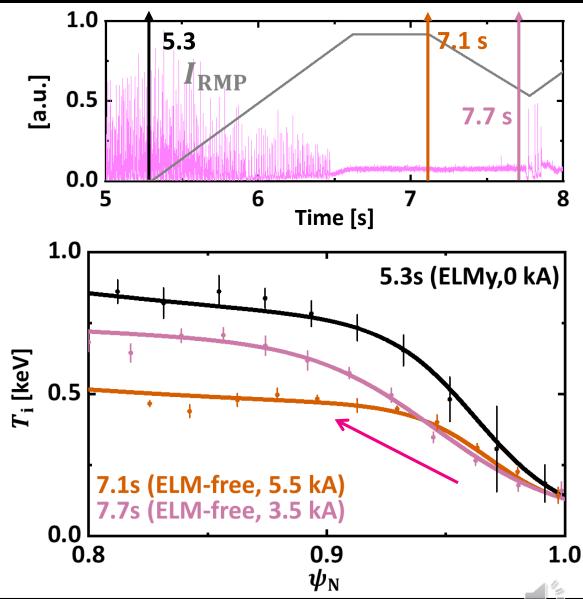
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      - Entering ELM-free with decreasing height.
    - $\rightarrow$  6.6  $\rightarrow$  7.1s : ELM-free
      - Saturation with increasing width.
         (Decreased gradient)

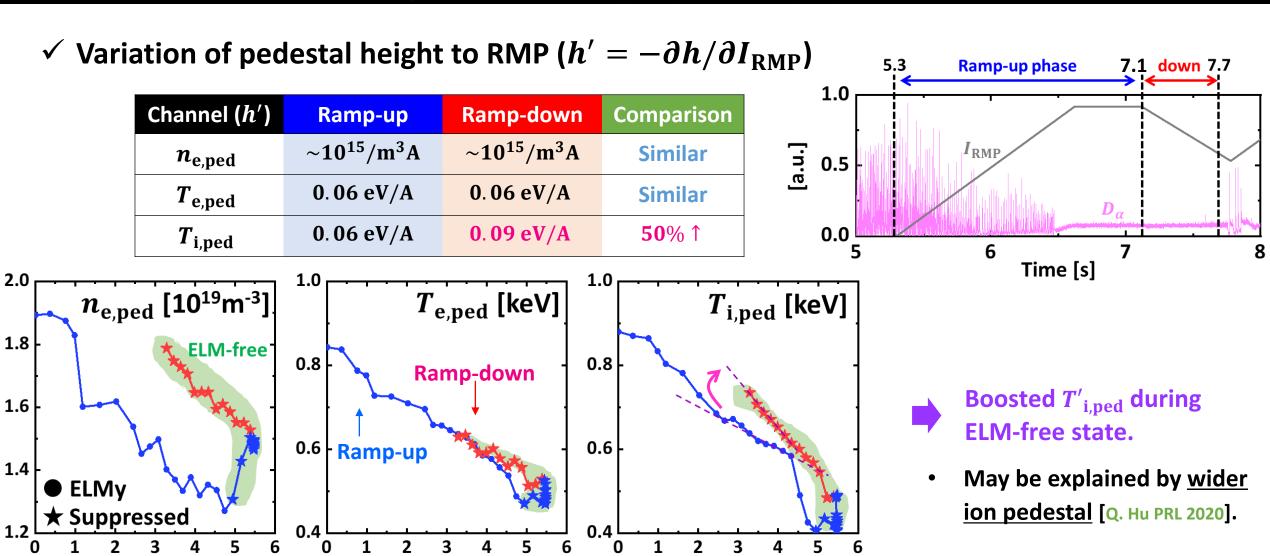


### During ELM suppression periods, ion pedestal shows wider structure than ELMy phase.

- Widening of ion pedestal
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      - Entering ELM-free with decreasing height.
    - $\rightarrow$  6.6  $\rightarrow$  7.1s : ELM-free
      - Saturation with increasing width.
         (Decreased gradient)
    - $\rightarrow$  7.1s  $\rightarrow$  7.7 s: ELM-free,  $I_{\rm RMP} \downarrow$ .
      - Increasing pedestal height/width.(Same gradient)
    - **Wider Ion pedestal during ELM-free state.**



### During ramp-down (ELM-free) periods, ion pedestal height shows larger variation to RMP strength than ramp-up (ELMy) phase.



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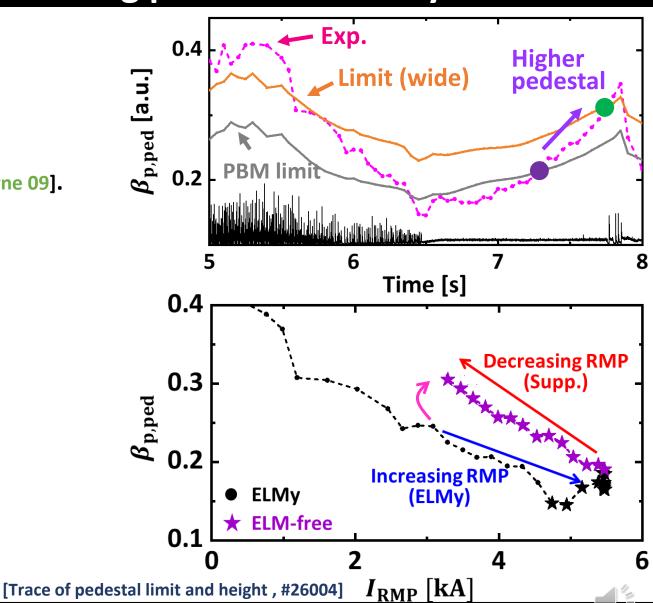
 $I_{RMP}$  [kA]

[Time trace of pedestal height, #26004]

### Changed ion pedestal behavior in suppression periods lead plasma to the new state during RMP ramp down, affecting pedestal recovery

- Pedestal recovery during ramp-down
  - ✓ Increased limit (Pedestal height:  $\beta_{p,ped}$ )
    - $\beta_{p,ped}$  < 70 % PBM limit: ELM free.
    - Wider ion pedestal → Enhanced limit [T. Osborne 09].
    - Higher pedestal with ELM-free.
  - ✓ Faster recovery with  $I_{\rm RMP} \downarrow$ 
    - Larger  $T'_{i,ped}$  and  $\beta'_{p,ped}$  in ELM-free.
    - Higher pedestal than ELMy for "same" RMP.

Enhanced pedestal recovery during ELM-free state by wider pedestal.



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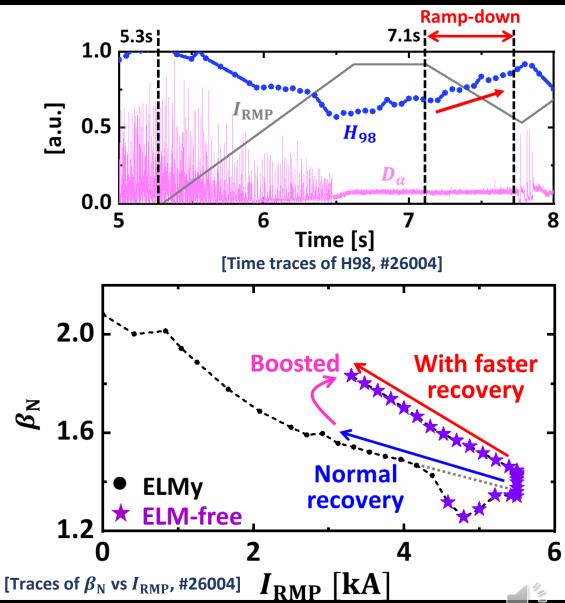


### Enhanced pedestal recovery results in net confinement recovery more than just returning to previous ELMy state by lowering RMP

- Confinement recovery by RMP ramp-down
  - ✓ Confinement ( $H_{98}$ ) recovery by pedestal ↑
    - Enhanced ion recovery as main contributor.

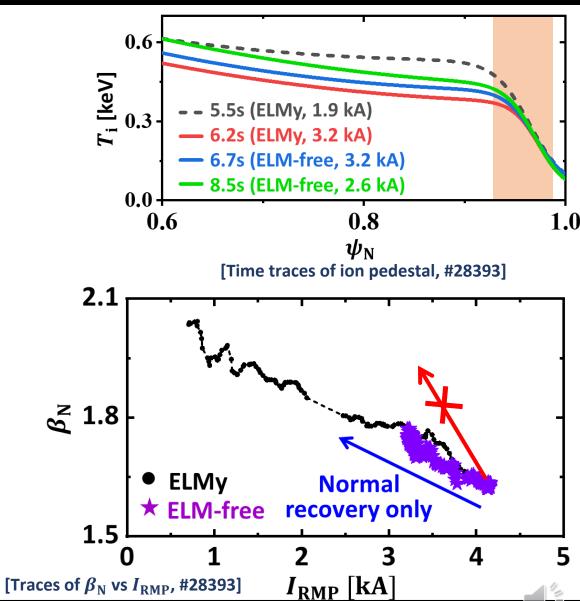
$n_{\mathrm{e,ped}}$	$T_{\rm e,ped}$	$T_{i,ped}$
20%	13%	67%

- ✓ Benefit from enhanced pedestal recovery
  - Improved  $\beta_N$  path in ELM-free state.
  - Higher confinement by smaller  $I_{\rm RMP} \downarrow$ .
    - Higher: Increased  $\beta_{p,ped}$  limit
    - Smaller: Faster pedestal recovery
    - Boosted confinement recovery (>50%).



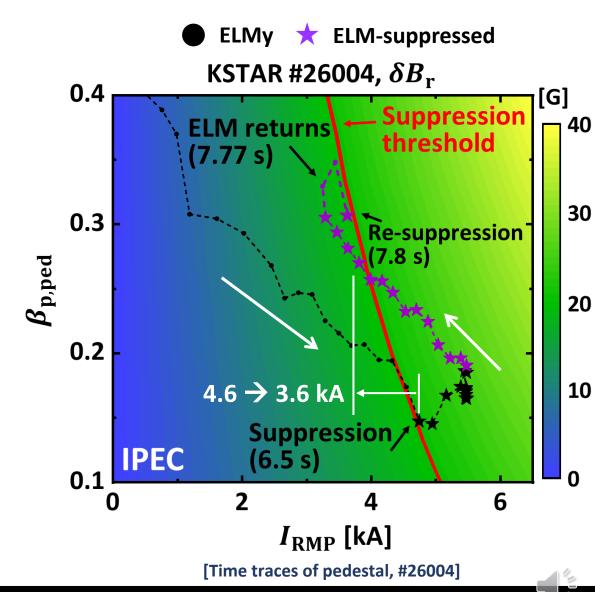
### Shot comparison clearly shows that "boosted" confinement recovery is outcome of widened ion pedestal

- Recovery without pedestal broadening
  - ✓ Without wider ion-pedestal
    - If no ion-pedestal widening
      - → No favorable state during ELM-free.
  - ✓ Reduced confinement recovery
    - No boosted or bonus recovery.
  - **B**oosted recovery by widened ion pedestal.



### Enhanced pedestal recovery amplifies the RMP response, resulting in easier ELM suppression re-entrance with smaller RMP current

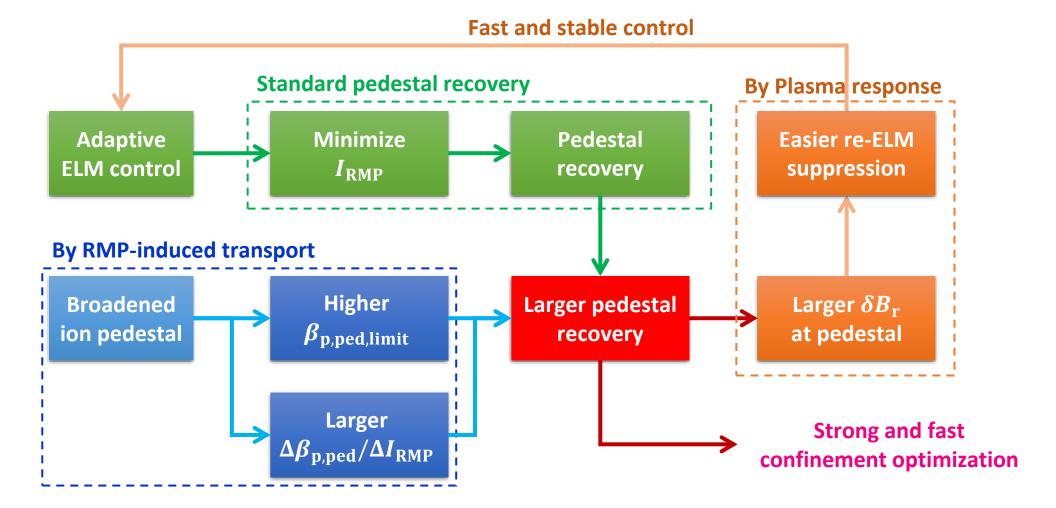
- Decreased  $I_{\text{RMP,IN}}$  for ELM suppression
  - ✓ Suppression entry at field threshold ( $\delta B_{\rm r,th}$ )
    - Perturbed field ( $\delta B_{
      m r}$ ) by  $I_{
      m RMP}$ .
    - Suppression for  $\delta B_{
      m r} \geq \delta B_{
      m r,th}$  [J.-K.Park 18].
    - $\delta B_{\rm r,th} \approx 20~{
      m G}$  in experiment ightarrow Red line.
  - ✓ Amplified  $\delta B_{\rm r}$  by  $\beta_{\rm p,ped}$ 
    - Same  $\delta B_{\rm r}$  with smaller  $I_{\rm RMP}$ .
    - Larger  $\beta_{p,ped}$  at re-suppression.
    - $I_{\text{RMP.IN}}: 4.6 \rightarrow 3.6 \text{ kA}.$
    - $ightharpoonup I_{\text{RMP,IN}} \downarrow$  by wider ion pedestal.



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### Overall, widened ion pedestal facilitate the adaptive ELM control method by boosting the confinement hysteresis and reducing the system discontinuity

Overall effect of ion pedestal broadening on adaptive ELM control



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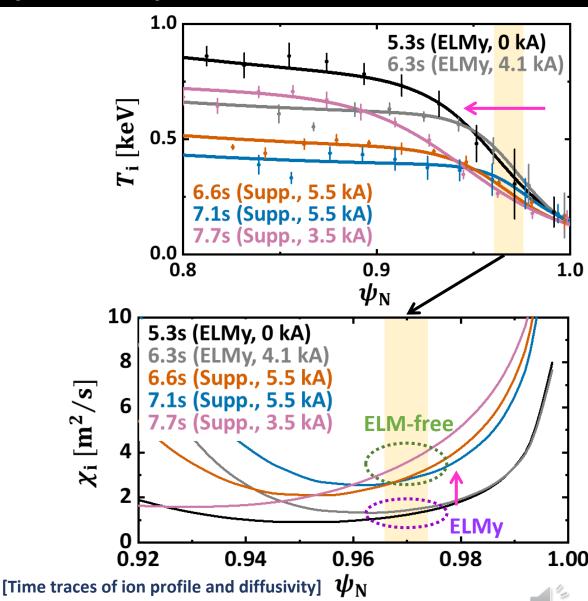
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- Widened ion pedestal and increased pedestal response → Enhanced pedestal recovery.
- Enhanced confinement recovery and field amplification  $\rightarrow$  Decreases  $I_{\text{RMP,IN}}$ .
- Origin of widened ion pedestal
- Conclusion



### Interpretive analysis suggests that ion pedestal broadening can be an outcome of increased heat transport during ELM suppression phase

- Origin of widened ion pedestal
  - **✓** RMP-induced transport in ELM-suppression
    - ELMy : No effective change.
    - ELM-free (>6.6s): Increased  $\chi_i$  at pedestal.
      - → Decreased pedestal gradient and broadening.

- ✓ Distinguished properties of RMP-induced transport
  - Occurrence at ELM-free state.
  - No proportionality on  $I_{RMP}$  during ELM-free.
    - $\rightarrow$  Sustained pedestal gradient with  $I_{\rm RMP} \downarrow$ .



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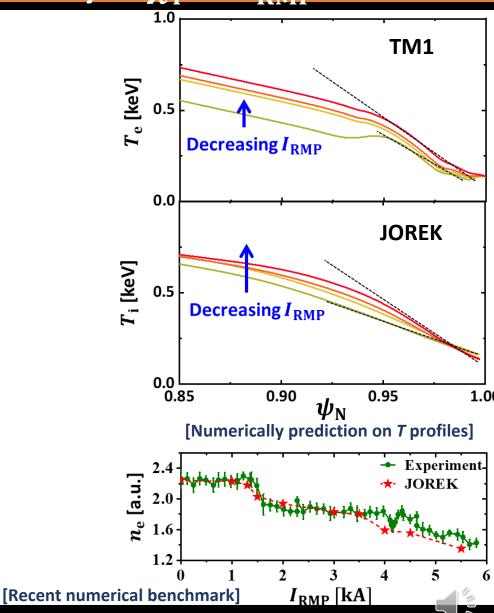
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### Preliminary nonlinear MHD simulation on RMP response shows that classical transport may have difficulty in explaining insensitivity of $\chi_{\rm i}$ on $I_{\rm RMP}$

- Nonlinear MHD simulation with decreasing  $I_{\rm RMP}$ 
  - ✓ TM1 simulation [Q. Yu 2012, Q. Hu 2020]
    - $T_{\rm e}$  &  $n_{\rm e}$  + island physics.
    - $T_{\rm e,ped}$   $\uparrow$  and no width extension by  $I_{\rm RMP}$   $\downarrow$ .
      - $\rightarrow$  So, not by  $T_{\rm e}$  widening via thermal coupling.
  - ✓ JOREK simulation [G. Huijsmans 2009]
    - $T_{\rm i,e}$  &  $n_{\rm e}$  + NTV, island/kink physics.
    - Recently, reasonable validation [S. K. Kim submitted].
    - $T_{i,ped}$  and  $\nabla T_{i,ped} \uparrow \text{ by } I_{RMP} \downarrow$ .
      - → Further analysis is ongoing.



Additional transport mechanism may be required to explain pedestal gradient behavior.



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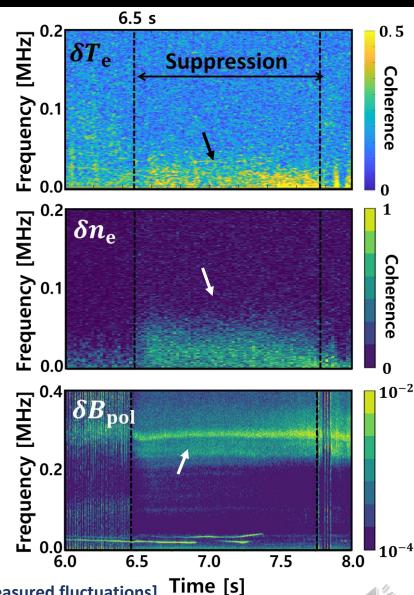
#### Immediate occurrence of edge turbulence is observed after entering **ELM** suppression

#### **Occurrence of fluctuations**

- ✓ Measured fluctuation
  - Immediate occurrence at ELM-free.
  - ECEI ( $\delta T_{\rm e}$ ), BES ( $\delta n_{\rm e}$ ), Mirnov ( $\delta B_{\rm pol}$ ) and CSS.

#### **Properties of edge turbulence**

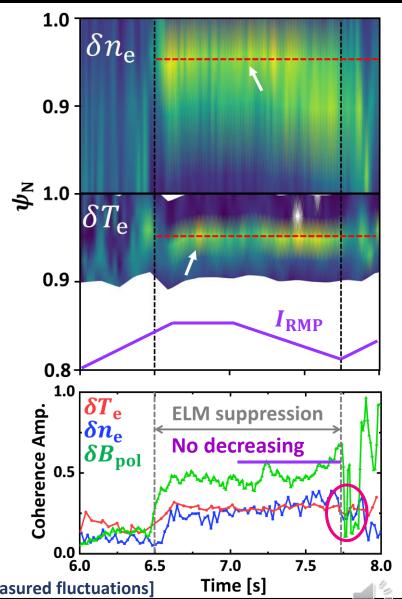
- ✓ Frequency range
  - $\delta T_{\rm e}$  and  $\delta n_{\rm e}$  : 30-80 kHz (longer,  $k 
    ho_{\rm s} < 1$ ).
  - $\delta B_{
    m pol}$  and CSS: 200-400 kHz (shorter,  $\,k
    ho_s>1$ ).
    - → More than one different fluctuations.



[Time traces of measured fluctuations]

#### Edge localized fluctuation exhibits similar trends with ion diffusivity, suggesting the ion-scale turbulence as a main contributor to pedestal widening

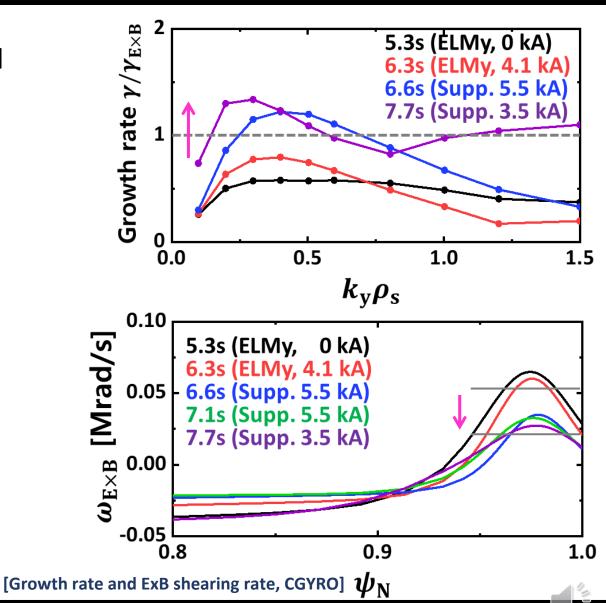
- **Properties of edge turbulence** 
  - ✓ Radial range
    - $\delta T_{
      m e}$  and  $\delta n_{
      m e}$  :  $\psi_{
      m N}$  > 0.9.
- Correlation of edge turbulence with  $I_{\rm RMP}$ 
  - ✓ No reduction by  $I_{\rm RMP} \downarrow$ .
    - Same for ion diffusivity.
      - → Suggesting it as a main contributor.
  - Rapidly decreasing with losing suppression (at 7.8s).
    - Immediate RMP ramp for maintain favorable wide pedestal.
      - → RT-Adaptive control is key.



[Time traces of measured fluctuations]

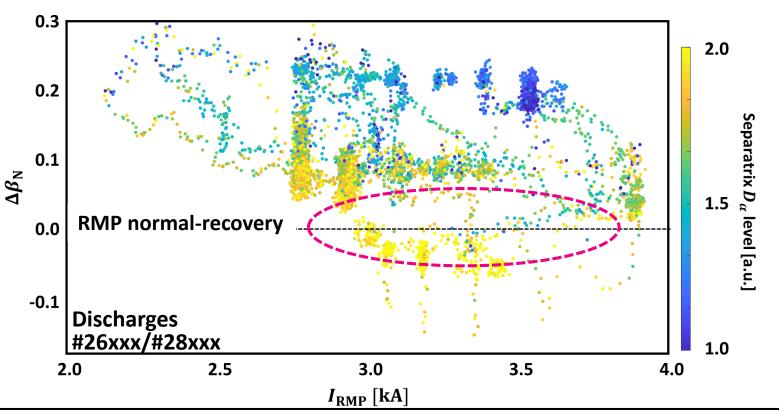
#### Linear gyro-kinetic simulation suggests the occurrence of turbulence but detailed numerical analysis is needed for complete explanation.

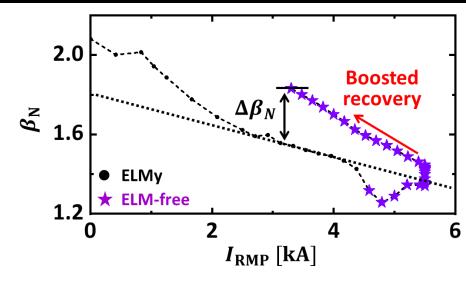
- Linear CGYRO calculation ( $\psi_{\rm N}{\sim}0.96$ ) [J. Candy 16]
  - ✓ Onset  $(\gamma/\gamma_{E\times B}>1)$  at ELM free (> 6.6s).
    - Mainly due to reduced  $\gamma_{E\times B}$ .
    - ITG/TEM branch.
      - → Closer to electron channel fluctuation.
- Limitation of the linear results
  - ✓ Inconsistency in electron heat fluxes.
    - No evidence for widening of electron pedestal.
  - ✓ Importance of nonlinear study w/ RMPs.
    - Interactions with kink/island [R. Hager 20].
    - Non-local effect [S. Taimourzade 19].



### FY20-21 database suggest that the favorable effect of turbulence can vary depending on edge conditions.

- Edge gas level and boosted recovery
  - ✓ Weakening  $\Delta \beta_N$  with separatrix  $D_\alpha$  level.
    - → Turbulence may be reduced with edge density, collisionality.
  - $\checkmark$  No clear dependency with density pedestal height ( $n_{
    m ped}$  ).





Favorable edge conditions for these effect has to be investigated for the projection to future devices.

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- Widened ion pedestal and increased pedestal response → Enhanced pedestal recovery.
- Enhanced confinement recovery and field amplification  $\rightarrow$  Decreases  $I_{\text{RMP,IN}}$ .
- Origin of widened ion pedestal → Highly correlates to ion-scale turbulence.
- Conclusion



### Adaptive ELM control paves new strategy to optimize the pedestal via 3D field, revealing new physics of edge-turbulence and its favorable aspects.

- Successful demonstration of adaptive ELM control in KSTAR
  - ✓ ELM-free state with optimized confinement.
- Widened ion pedestal plays key role in control optimization.
  - ✓ Boosted recovery and good convergence.
- RMP-induced ion-scale turbulence highly correlates to ion pedestal
  - ✓ Similar trend in fluctuation and numerical prediction.
- Adaptive scheme is an effective way to utilize its favorable effect
  - ✓ Immediate RMP ramp to sustain the turbulence and wide pedestal.
    - Adaptive ELM control is an effective way to utilize RMP-induced turbulence.

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### Thank you

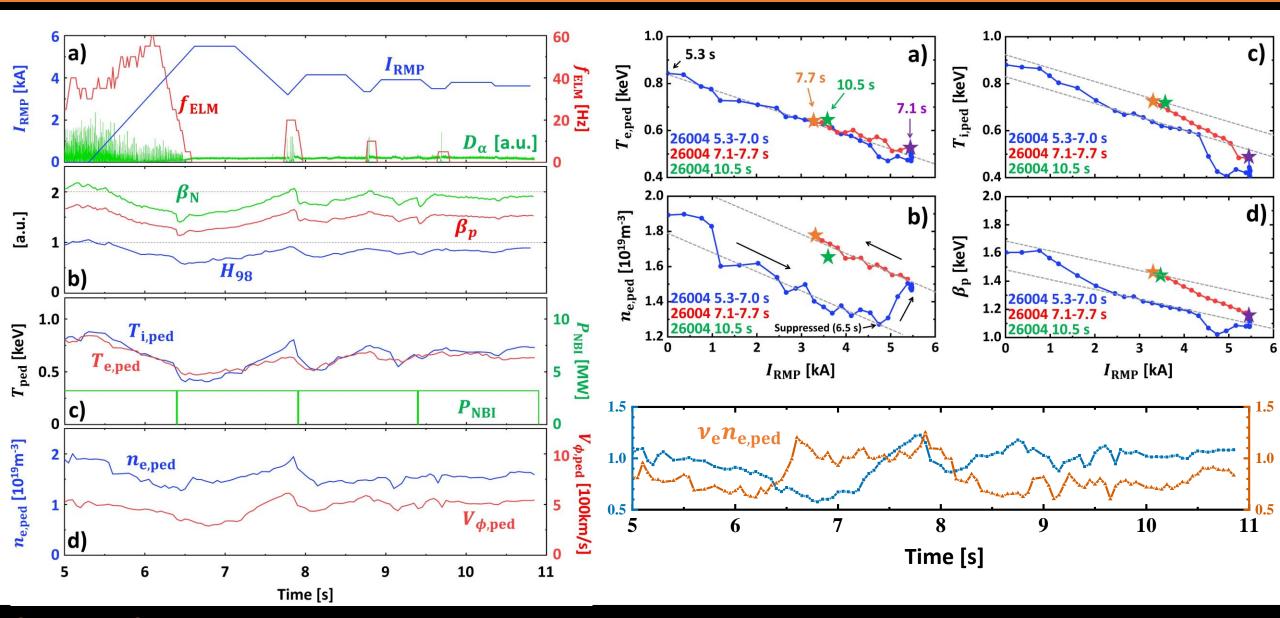








#### **Backup – Time traces**



#### Backup - Broadening ion pedestal can result in larger response of $T_{ m i,ped}$ to $I_{ m RMP}$

#### Pedestal degradation by island flattening

- ✓ Island flattening
  - Profile flattening by (m, n) island at q = m/n.
  - Degradation of pedestal height  $\rightarrow$   $\Delta T_{\text{ped,m/n}} = \nabla T_{\text{ped}} W_{\text{m/n}}$
  - Island width  $W_{\mathrm{m/n}}$  and pedestal gradient  $\nabla T_{\mathrm{ped}}$ .
- ✓ Net pedestal degradation
  - Accumulation of  $\Delta T_{\text{ped,m/n}}$  by island in pedestal region.
  - q value at pedestal top,  $q_{\rm ped}$ .
  - Lower bound of islands  $m \geq nq_{\mathrm{ped}}$ .
- ✓ Response of  $T_{\rm ped}$  to  $I_{\rm RMP}$ 
  - Increases with larger  $\nabla T_{\text{ped}}$  and smaller  $q_{\text{ped}}$ .
  - Wider pedestal width  $\rightarrow$  Smaller  $q_{\text{ped}}$  $\rightarrow$  Larger  $\Delta T_{\text{ped}}/\Delta I_{\text{RMP}}$

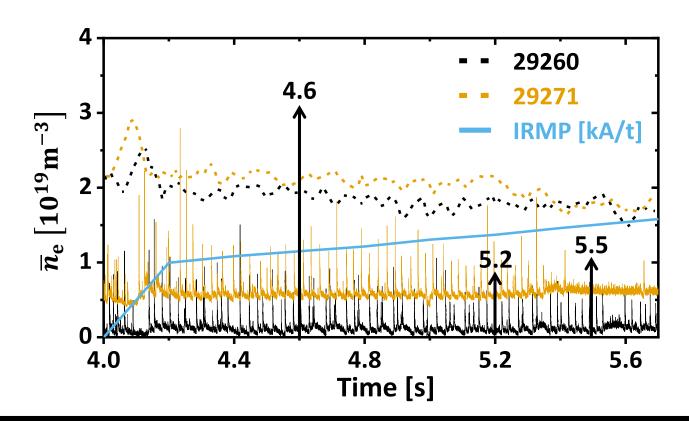
$$\Delta T_{\text{ped,n}} = \sum_{m \geq q_{\text{ped}}} \Delta T_{\text{ped,m/n}} = \sum_{m \geq q_{\text{ped}}} \nabla T_{\text{ped}} W_{\text{m/n}}$$

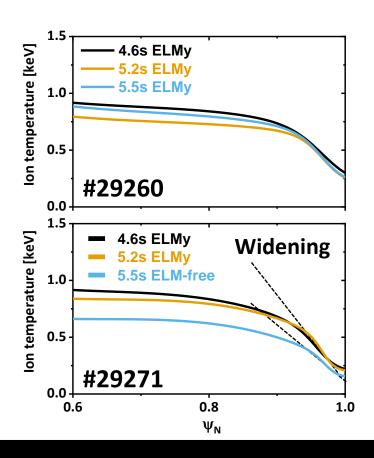
$$rac{\Delta T_{
m ped,n}}{\Delta I_{
m RMP}} pprox 
abla T_{
m ped} \sum_{m \geq q_{
m ped}} rac{\Delta W_{
m m}}{\Delta I_{
m RMP}}$$

### Backup – ELM entrance and ion pedestal broadening is supported by case comparison

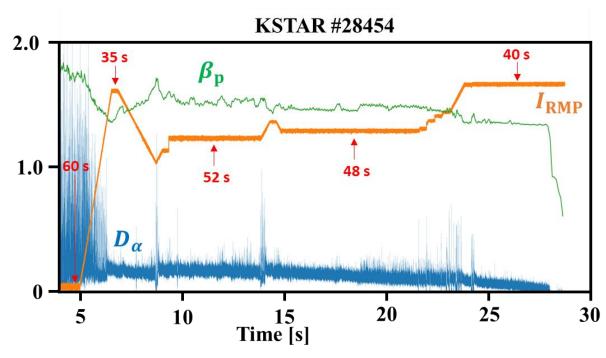
#### ELMy vs ELM-free

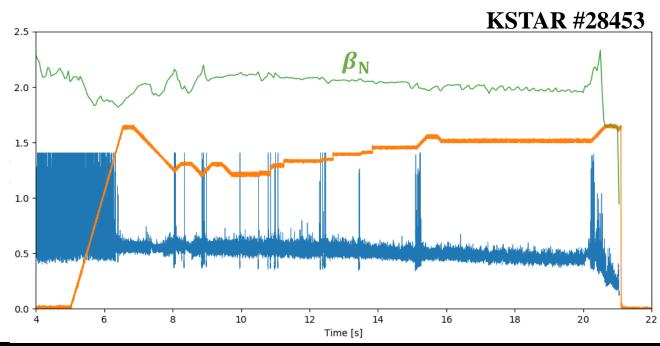
- ✓ Similar discharge with RMP-ramp (same heating, BT).
- ✓ No suppression due to unfavorable condition for Supp. window.
- √ #29260 (no Supp.) vs #29271 (Supp. at 5.3 s)



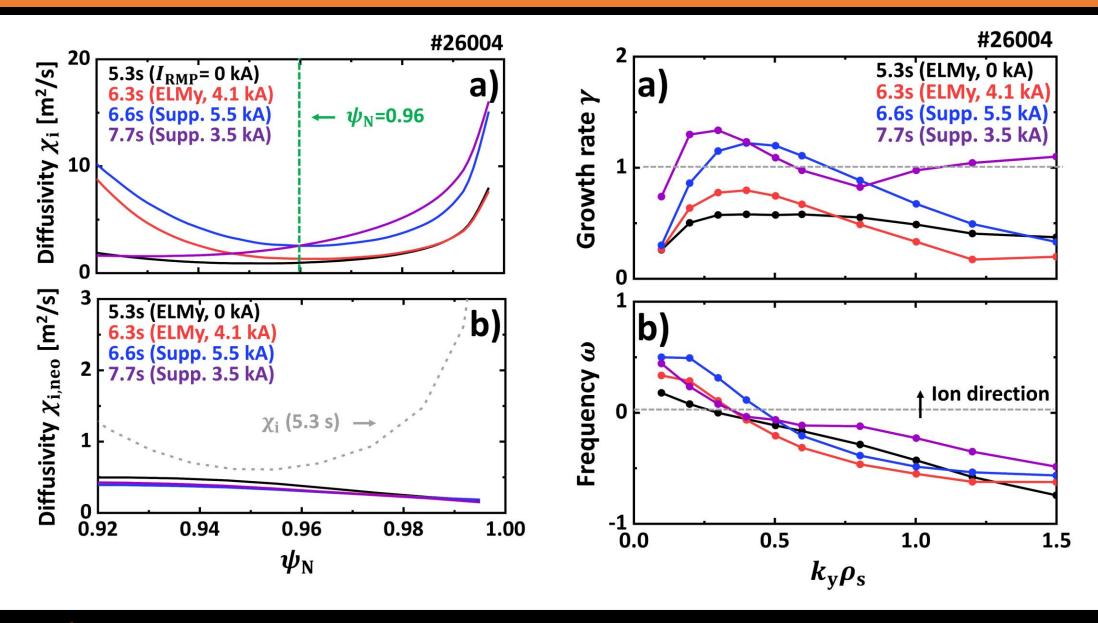


#### **Backup – Other adaptive ELM controls**

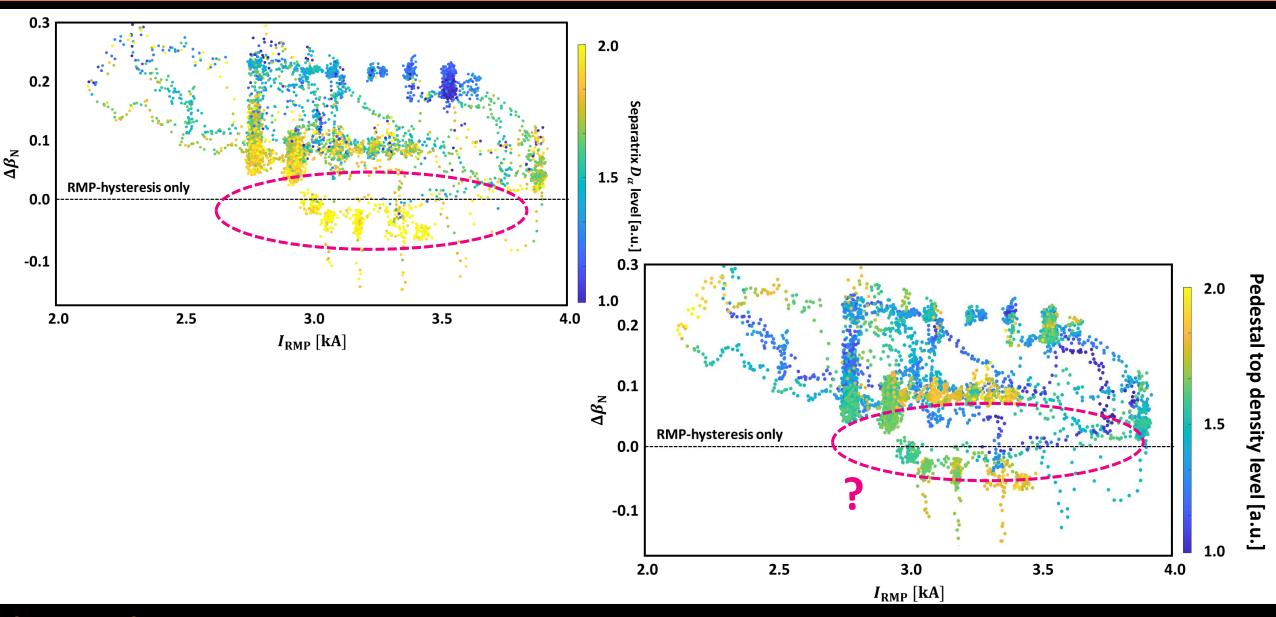




#### **Backup – Heat diffusivities and CGYRO real frequencies**

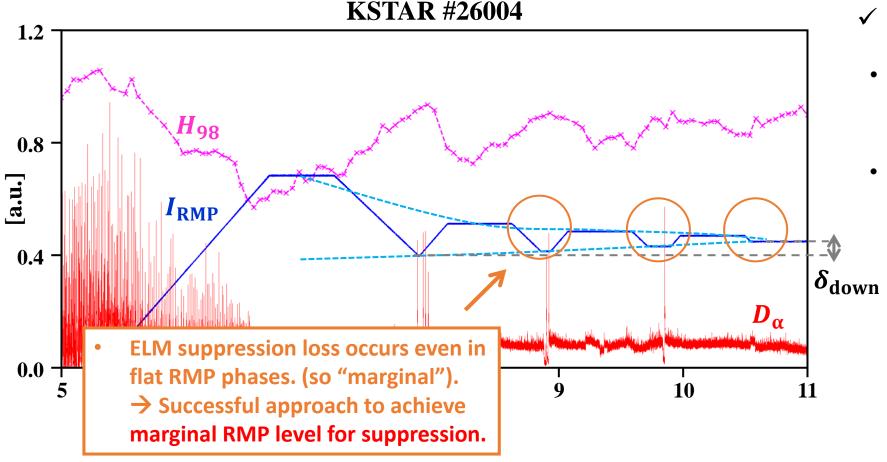


#### Backup – Boosted confinement recovery vs pedestal density / separatrix Da



#### Backup - Decreased oscillatory RMP control: Lower bound

Decreased oscillatory amplitude during ELM control



- $\checkmark$   $\delta_{
  m down}$  by ELM controller scheme.
  - Controller limits the lower  $I_{\rm RMP}$  limit  $I_{\rm limit}$  as the level where previous suppression loss occurs ( $I_{\rm loss}$ ).
  - There is ~40ms delay in detecting suppression loss, further decrease of  $I_{\rm RMP}$  by 0.06kA/turn after suppression loss. So,

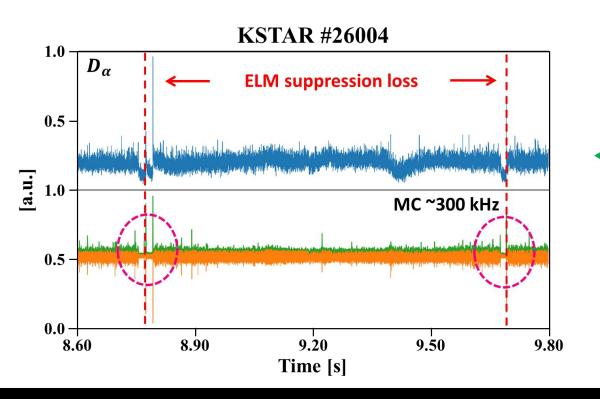
$$I_{\text{limit}} \approx I_{\text{loss}} + 0.07$$

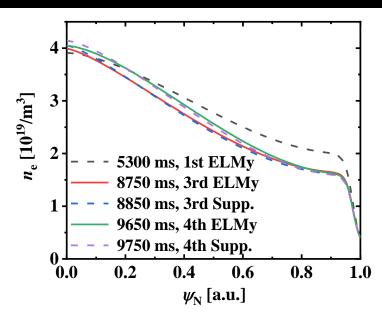
$$\delta_{\text{down}} \approx 0.07 \times 3 \approx 0.2$$

#### Backup - Disappearance of bifurcative of pedestal change

#### Marginally suppressed ELM without bifurcative change

- ✓ Suppression loss and re-entering without bifurcative pedestal behavior.
- $\checkmark$  No considerable change in pedestal.  $\rightarrow$  Possibly, no island physics.
- ✓ They are "very" stabilized in terms of linear PBM theory.
- ✓ Decreased ~300kHz fluctuation before suppression losses.



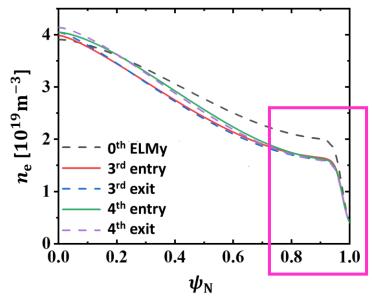


This mode may contribute to ELM suppression by a mechanism other than a change in mean profile.

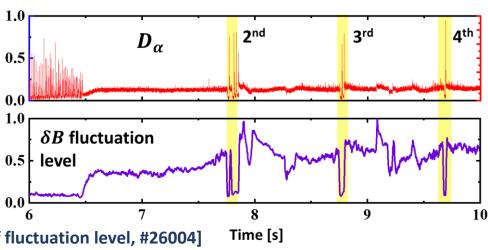
Suggest additional contributor for ELM-free.

#### Multiple entry to ELM suppression reveals the possibility of additional mechanism for ELM suppression other than profile effect

- **ELM** suppression re-entry without changes in pedestal
  - ✓ Transition between ELMy and ELM-free state.
    - No considerable change in pedestal at 3<sup>rd</sup> and 4<sup>th</sup> ELM suppression entry and exit.
      - → Additional suppression mechanism other than profile effect.
- Correlation between turbulence and ELM-free state.
  - ✓ Returning ELMs with turbulence disappearances.
    - Strong correlation with  $\delta B$  fluctuation.
    - Measured at both LFS and HFS.
    - → Possible direct contributions of edge turbulence on the ELM suppression.

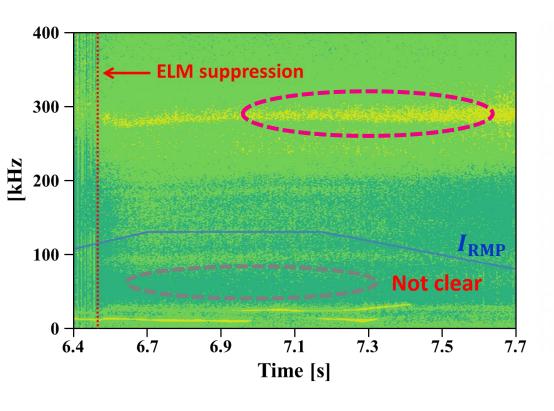


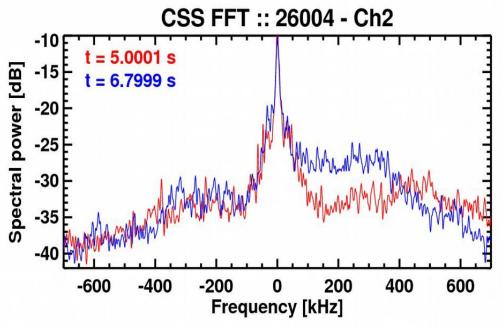
[Time traces of pedestal, #26004]



#### Backup – CSS signal

- CSS signal (kp~18/cm)
  - ✓ Similar frequency to MC signal

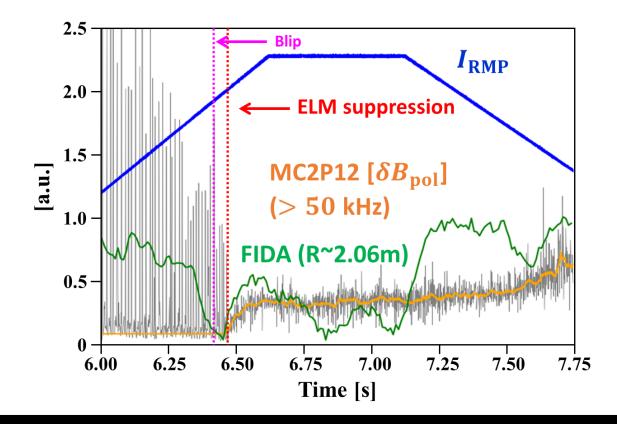




Samples per FFT = 16384
FFT window [ms] = 1.64
Freq res. [kHz] = 0.61
Window overlap = 50 %
FFT time step [ms] = 0.82
Nyquist freq [kHz] = 5000
Hanning window
Smoothing pts (freq) = 5
Smoothing pts (time) = 5

#### Backup – Mironov signal and FIDA

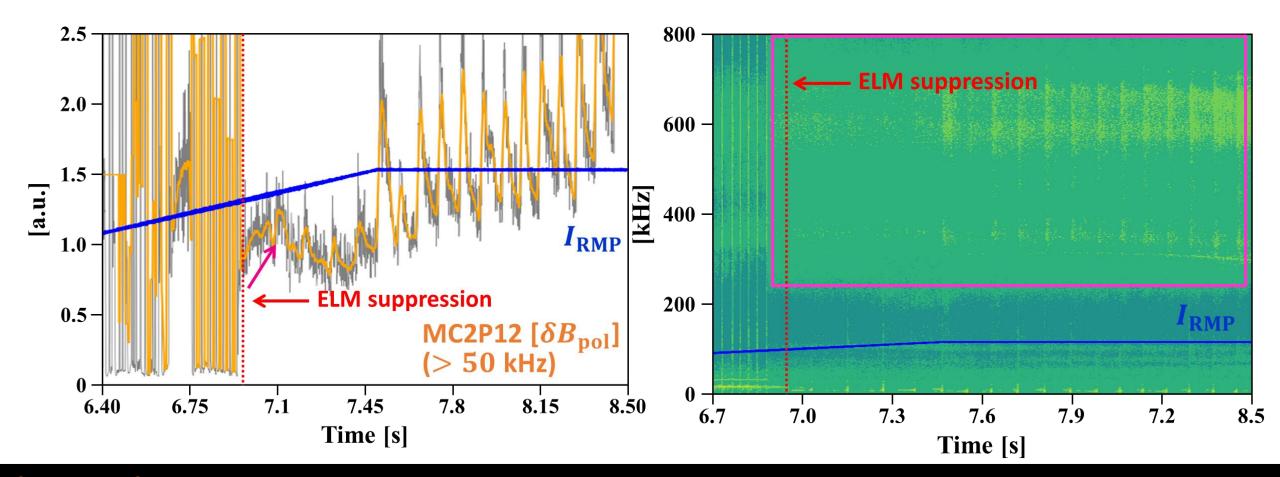
- Increased edge turbulence after RMP-ELM suppression
  - ✓ Mironov signal: Possibly, strong EM fluctuation. (~300kHz)
  - ✓ Small correlation between spectral power and fast ion density.
    - → Less likely to be core Alfven-eigen mode.



#### Backup - Mironov signal (for n=2 case)

#### MC2P12 signal

✓ Broad signal occurs at 70-400 kHz range.



### Backup - Time traces of pedestal height suggest that additional transport has been introduced to the ion channel, changing the response of $T_{\rm i,ped}$ to $I_{\rm RMP}$

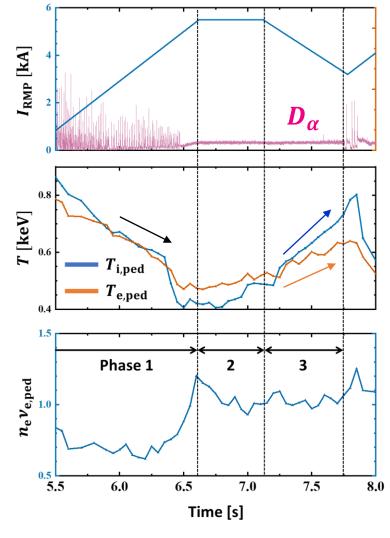
#### Before ELM suppression (phase 1)

- ✓ Decrease in both  $T_i$  and  $T_e$  pedestal height
  - Similar behavior of  $T_{i,ped}$  and  $T_{e,ped}$ .
  - Decreasing pedestal height with

$$\Delta T_{\rm ped}/\Delta I_{\rm RMP}\sim -0.063~{\rm eV/A}$$
.

#### Recovery phase (phase 3)

- $\checkmark$  Decoupled  $T_{i,ped}$  and  $T_{e,ped}$  pedestal height
  - Similar behavior of  $T_{\rm e,ped}$  with phase 1 ( $\sim$ 0.058 eV/A).
  - ~50% larger response of  $T_{i,ped}$  (~0.092 eV/A).
- ✓ Increased  $\Delta T_{i,ped}/\Delta I_{RMP}$ 
  - Not a result from change in thermal coupling between ion and electron ( $\propto n_{
    m e} 
    u_{
    m e,ped}$ ) [L.Cui 17].
  - Indicating additional transport "mainly" on ion pedestal.



[Time trace of pedestal height, #26004]

### Backup - Comparison of pedestal profiles in each phase suggests the effect of edge turbulence on the ion-pedestal: Pedestal broadening

#### Comparison of phases

	Phase 1	Phase 2	Phase 3
$I_{\mathrm{RMP}}$	Increased	-	Decreased
Fluctuation level	<b>-</b>	Increased	<b>-</b>
$T_{ m i,ped}$	Decreased	<b>-</b>	Increased
$ abla T_{\mathrm{i,ped}}$	-	Decreased	-

- $\rightarrow \nabla T_{i,ped}$ : Mainly by turbulence (turbulence transport)
- $\rightarrow T_{i,ped}$ : Mainly by  $I_{RMP}$  (collisional transport?)

#### Effect of edge turbulence on ion-pedestal

- ✓ Widened pedestal width & decreased  $\nabla T_{i,ped}$ .
- ✓ Increased  $|\Delta T_{i,ped}/\Delta I_{RMP}|$ .
  - If  $\Delta T_{\rm i,ped}/\Delta I_{\rm RMP}$  by collisional transport [Q. Hu 20].
- → Can be increased with pedestal width.

- ✓ Weak effect on electron pedestal width.
  - Not clear due to limits in spatial resolution.

→ But statistically no large variation.